

**X2.6-8**

Physics 109 (Kaldon)

WMU - Fall 1998

Exam 2 - 100,000 points

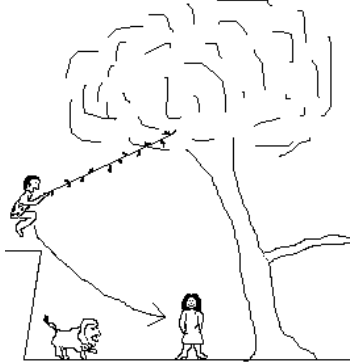
**107**

Name \_\_\_\_\_

Book Title \_\_\_\_\_

Section:	6a	6b	6c	6d	7a	7b	7c	7d	7e
	11:00Thu	12:00Tue	1:00Thu	4:00Wed	9:00Tue	10:00Wed	2:00Wed	3:00Tue	9:00Thu

**State Any Assumptions You Need To Make – Show All Work – Circle Any Final Answers**  
**Use Your Time Wisely – Work on What You Can – Be Sure to Write Down Equations**  
**Short Answers Should Be Short! – Feel Free to Ask Any Questions**



**“Me Tarzan – You Jane” (50,000 points)**

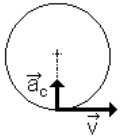
1.) In the movies, Jane is supposed to be a savvy city person, while Tarzan is Lord of the Jungle. One day Tarzan ( $m = 125 \text{ kg}$ ) sees a lion ( $m = 183 \text{ kg}$ ) sneaking up on Jane ( $m = 61.25 \text{ kg}$ ). Tarzan’s plan is to swing down on a vine and grab Jane to save her.

(a) Tarzan starts from  $y = 9.50 \text{ m}$  above Jane. What is his potential energy?

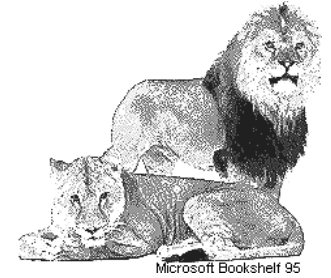
(b) When he reaches Jane,  $y = 0$ , what is his speed? *Use conservation of energy.*

(c) At the bottom of his swing, we can pretend that he is undergoing Uniform Circular Motion. Find the force that the vine exerts on Tarzan. *HINT: Draw your Free Body Diagram first. Use  $r = 15.0 \text{ meters}$ .*

*If you don’t have an answer to (b), use  $v = 10.0 \text{ m/s}$ .*



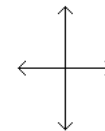
(d) Tarzan grabs onto Jane. Find the speed at which the two of them begin to swing up on the vine. *If you don’t have an answer to (b), use  $v = 10.0 \text{ m/s}$ .*



(e) There is a tree branch at  $y = 3.50 \text{ m}$ . If they can swing up at least that high, they are safe – if they can’t, then the lions eat tonight. Show whether the lions go hungry or not. *If you don’t have an answer to (d), use  $v = 10.0 \text{ m/s}$ .*

**The Invincible Xena – Warrior Princess, Using the Forces of Good Against Evil (50,000 points)**

2.) Xena ( $m = 70.5 \text{ kg}$ ) is set upon by a bunch of cutthroat goons ( $m = 105 \text{ kg}$  each), so in self-defense Xena beats them all up. She wants to drag them to town to see justice served. (a) If Xena is walking at a constant  $1.00 \text{ m/s}$  while she is dragging the body of the first goon, then the net force on the body of Goon #1 is zero. Right? So take the free body diagram below and label the four forces that are acting on Goon #1.



(b) The coefficients of friction between the goon’s leather armor and the ground are  $0.30$  and  $0.25$  respectively. What is the value of the friction force between Goon #1 and the ground? *If you do not have an answer for this part, use  $F_f = 200. \text{ N}$  as you need in later parts.*

(c) What is the value of the force that Xena pulls on the leg of Goon #1?



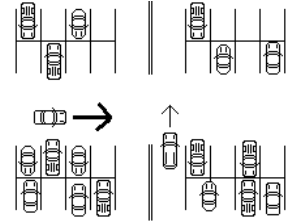
The coefficients of friction between Xena's boots and the ground are 0.80 and 0.75. (d) What is the value of the *maximum* friction force between Xena and the ground? *If you don't get an answer here, use  $F_f = 700$  N as needed in later parts.*

(e) What is the *actual* friction force between Xena and the ground, given that she is dragging Goon #1? Can Xena drag more than one of the goons? If so, how many? *Assume the goons are all identical.*



**Studio 28: Twenty Movie Screens, Two Thousand Parking Spaces (50,000 points)**

3.) A few months ago, as we left Studio 28 in Grand Rapids, I *heard* a car racing along one of the side lanes. As a defensive driver, I slowed and watched them shoot through the intersection without slowing/stopping. The kid's eyes went wide as they saw us, because they were idiots and somehow thought they could race through a parking lot without looking. But suppose I hadn't been so wary... Let the two vehicles have the following numbers: Car #1: 2125 kg,  $v_x = 28.2$  m/s (about 63 m.p.h.) SUV #2: 2700 kg,  $v_y = 10.2$  m/s (about 23 m.p.h.). (a) Find the *magnitude (value)* of the total momentum before the wreck. *NOTE: This is a vector problem. If you cannot do this as a vector problem, you may check this box  and do this problem as a head-on collision instead, with a 18,000 point penalty.*



(b) Find the *magnitude (value)* of the total momentum after the wreck. *If you didn't get an answer to (a), use  $p_x = 64,200$  kg·m/s and  $p_y = 24,100$  kg·m/s.*

(c) Find the final velocity vector,  $\vec{v}$ , of the wreck, after the crash. Give in Standard Form, of course. *If you didn't get an answer to (a), use  $p_x = 64,200$  kg·m/s and  $p_y = 24,100$  kg·m/s.*

(d) The coefficients of static and kinetic friction between asphalt and rubber are 0.95 and 0.82 respectively. Find the friction force that will be causing the sliding wreck to come to a halt. *Hint: the wreck is just the two vehicles combined.*

(e) How far does the wreck slide along the parking lot before it comes to rest? *If you didn't get an answer to (d), use  $F_f = 25,000$  N. If you didn't get an answer to (c), use  $v_{after} = 19.0$  m/s. Assume that the wreck won't run into any parked cars (!).*