

Test Statistic

	Population or Known Standard Deviation	Sample Standard Deviation	Proportion
One-sample	$Z = \frac{\bar{x} - \mu}{\frac{\sigma}{\sqrt{n}}}$	$t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}}$	$Z = \frac{\hat{p} - p}{\sqrt{\frac{p(1-p)}{n}}}$
Two-sample	$Z = \frac{(\bar{x}_1 - \bar{x}_2) - (\mu_1 - \mu_2)}{\sqrt{\frac{\sigma_1^2}{n_1} + \frac{\sigma_2^2}{n_2}}}$	$t = \frac{(\bar{x}_1 - \bar{x}_2) - (\mu_1 - \mu_2)}{\sqrt{s^2_{pooled} \left(\frac{1}{n_1} + \frac{1}{n_2} \right)}}$	$Z = \frac{(\hat{p}_1 - \hat{p}_2) - (p_1 - p_2)}{\sqrt{\bar{p}(1-\bar{p}) \left(\frac{1}{n_1} + \frac{1}{n_2} \right)}}$
Paired-sample	-	$t = \frac{\bar{D} - \mu_D}{\frac{s_D}{\sqrt{n}}}$	-

Confidence Interval

Population or Known Standard Deviation	Sample Standard Deviation	Proportion
$\mu \leq \bar{x} + Z_{\frac{\alpha}{2}} \left(\frac{\sigma}{\sqrt{n}} \right)$	$\mu \leq \bar{x} \pm t_{n-1, \frac{\alpha}{2}} \left(\frac{s}{\sqrt{n}} \right)$	$p \leq \hat{p} \pm Z_{\frac{\alpha}{2}} \sqrt{\frac{\hat{p}(1-\hat{p})}{n}}$

Hypothesis Testing

	Non-proportion value	Proportion value
One-sample (different)	$H_0: \mu = 10; H_1: \mu \neq 10$	$H_0: p = 0.2; H_1: p \neq 0.2$
One-sample (less than)	$H_0: \mu \geq 10; H_1: \mu < 10$	$H_0: p \geq 0.2; H_1: p < 0.2$
One-sample (greater than)	$H_0: \mu \leq 10; H_1: \mu > 10$	$H_0: p \leq 0.2; H_1: p > 0.2$
Two-sample (different)	$H_0: \mu_1 = \mu_2; H_1: \mu_1 \neq \mu_2$	$H_0: p_1 = p_2; H_1: p_1 \neq p_2$
Two-sample (less than)	$H_0: \mu_1 \geq \mu_2; H_1: \mu_1 < \mu_2$	$H_0: p_1 \geq p_2; H_1: p_1 < p_2$
Two-sample (greater than)	$H_0: \mu_1 \leq \mu_2; H_1: \mu_1 > \mu_2$	$H_0: p_1 \leq p_2; H_1: p_1 > p_2$
Paired-sample (different)	$H_0: \mu_D = 0; H_1: \mu_D \neq 0$	
Paired-sample (less than)	$H_0: \mu_D \geq 0; H_1: \mu_D < 0$	
Paired-sample (greater than)	$H_0: \mu_D \leq 0; H_1: \mu_D > 0$	-

critical values using TI-83

	One-tailed test	Two-tailed test
One sample from a normal distribution with known σ	Given α , find $z = \mathbf{invnorm}(\alpha)$.	Given α , find $z = \mathbf{invnorm}(\alpha/2)$.
Two sample from a normal distribution with known σ	Given α , find $z = \mathbf{invnorm}(\alpha)$.	Given α , find $z = \mathbf{invnorm}(\alpha/2)$.
One sample from a distribution with an unknown σ	Math/solver/tcdf(L,U,D)-A where L= -9999 U= solution (critical value) D= degrees of freedom=n-1 A= level of significance= α	Math/solver/tcdf(L,U,D)-A where L= -9999 U= solution (critical value) D= degrees of freedom=n-1 A= level of significance= $\alpha/2$
Two sample from a distribution with an unknown σ	Math/solver/tcdf(L,U,D)-A where L= -9999 U= solution (critical value) D= degrees of freedom=n1+n2-2 A= level of significance= α	Math/solver/tcdf(L,U,D)-A where L= -9999 U= solution (critical value) D= degrees of freedom=n1+n2-2 A= level of significance= $\alpha/2$
p_value	Given z, find p_value = normalcdf(z, 9999) .	Given z, find p_value = 2 * normalcdf(z, 9999) .

Decision Making

	Critical value	P_value
z table	If $ z > z_\alpha$ reject H_0 , there is evidence that.....; else do NOT reject H_0 , there is no evidence that.....	If p_value $< \alpha$ reject H_0 , there is evidence that.....; else do NOT reject H_0 , there is no evidence that.....
t table	If $ t > t_{n-1, \{\alpha, \alpha/2\}}$ reject H_0 , there is evidence that.....; else do NOT reject H_0 , there is no evidence that.....	If p_value $< \alpha$ reject H_0 , there is evidence that.....; else do NOT reject H_0 , there is no evidence that.....